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May 21, 2013



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- Data organization
- Data exploration and visualization
 - Common functions
 - Graphing tools
- Data analysis and hypothesis testing
 - Common functions
 - Evaluation of output
 - Graphing tools



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Interactive! Interrupt me!

We'll use the same dataset we used in Excel, replicating the analyses

First we have to import the data into our R 'workspace'

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The workspace is a group of R objects that are loaded for our current session

Data are loaded into the workspace by importing (or making within R) and assigning them to a variable (object) with a name of our choosing

We can see what's loaded in our workspace:

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First we have to import the data into our R 'workspace'

The workspace is a group of R objects that are loaded for our current session

Data are loaded into the workspace by importing (or making within R) and assigning them to a variable (object) with a name of our choosing

We can see what's loaded in our workspace:

> a<-c(1,2)

> ls()

[1] "a"

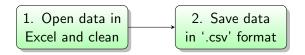
Import the data following this workflow:

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1. Open data in Excel and clean

- Column names should be simple
- Ensure all data will be easy to read

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- File, Save as .csv
- Creates a comma separated file that looks like a spreadsheet
- One spreadsheet at a time

Import the data following this workflow:



- Column names should be simple
- Ensure all data will be easy to read
- File, Save as .csv
- Creates a comma separated file that looks like a spreadsheet
- One spreadsheet at a time

- header = T
- See ?read.csv for list of function options
- Remember to assign a name

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If the data are a text file... open the text file, how are the columns separated?

- comma
- tabs
- space
- arbitrary character

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- comma
- tabs
- space
- arbitrary character

Use the read.table function and identify the column delimiter:

> setwd('C:/Documents/monitoring_workshop')
> l_()

> ls()

[1] "a"

> dat<-read.table('RWBB Survey.txt',sep='\t',header=T)
> ls()

[1] "a" "dat"

Now that the data are in our workspace, let's explore!

Now that the data are in our workspace, let's explore!

Did the data import correctly (rarely a problem)?

> head(dat) #or tail(dat)

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation	Temperature
1	IGH	2005	3	3	Tyler_Amanda	0	48
2	Kelly	2005	4	2	Patrick_Chelsea	0	48
3	Carlton	2005	2	3	David_Megan	0	48
4	IGH	2006	9	6	Tyler_Amanda	0	52
5	Kelly	2006	9	1	David_Megan	0	52
6	Carlton	2006	7	3	Patrick_Chelsea	0	52

What object class is the data?

- > class(dat)
- [1] "data.frame"

What object class is the data?

- > class(dat)
- [1] "data.frame"

What are the dimensions of the data frame?

- > dim(dat)
- [1] 18 7
- > nrow(dat)

[1] 18

> ncol(dat)

[1] 7

The data contain 18 rows and 7 columns, is this correct?

Can we get a summary of the data frame?

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Can we get a summary of the data frame?

> summary(dat)

SiteName	Year	Restoration	Reference
Carlton:6	Min. :2005	Min. : 2.00	Min. : 1.000
IGH :6	1st Qu.:2006	1st Qu.: 7.50	1st Qu.: 2.250
Kelly :6	Median :2008	Median :11.50	Median : 3.000
	Mean :2008	Mean :11.11	Mean : 4.389
	3rd Qu.:2009	3rd Qu.:14.75	3rd Qu.: 5.000
	Max. :2010	Max. :24.00	Max. :18.000
Obs	erverNames Pre	cipitation Tempe	rature
David_Megan	:6 Min	. : 0 Min.	:41.00
Jeremy_Lucy	:1 1st	Qu.: 0 1st Qu	1.:48.00
Patrick_Che	lsea:6 Med	ian : 0 Median	:53.00
Tyler_Amand	a :5 Mea	n :2 Mean	:51.83
	3rd	Qu.: 0 3rd Qu	1.:55.00
	Max	. :12 Max.	:61.00

Individual summaries of variables are also possible

How do we obtain variables of interest?

> names(dat)

[1] "SiteName" "Year" "Restoration" "Reference"
[5] "ObserverNames" "Precipitation" "Temperature"

Individual summaries of variables are also possible

How do we obtain variables of interest?

> names(dat)

[1] "SiteName" "Year" "Restoration" "Reference"
[5] "ObserverNames" "Precipitation" "Temperature"

We can get a variable directly using \$ or via indexing with [,]

> dat\$Temperature

[1] 48 48 48 52 52 52 41 41 41 54 54 54 55 55 55 61 61 61

> dat[,'Temperature'] #same as dat[,7]

[1] 48 48 48 52 52 52 41 41 41 54 54 54 55 55 55 61 61 61

Just as we had summaries of the data frame, we can get summaries of individual variables

> summary(dat\$Temperature)

Min.	1st Qu.	Median	Mean 3	Brd Qu.	Max.
41.00	48.00	53.00	51.83	55.00	61.00

Just as we had summaries of the data frame, we can get summaries of individual variables

> summary(dat\$Temperature)

Min. 1st Qu. Median Mean 3rd Qu. Max. 41.00 48.00 53.00 51.83 55.00 61.00

Or more simplistically...

- > mean(dat\$Temperature)
- [1] 51.83333
- > range(dat\$Temperature)
- [1] 41 61
- > unique(dat\$Temperature)
- [1] 48 52 41 54 55 61

Note that the classes of our variables affect how R functions interpet them

For example, the summary function returns different information...

- > class(dat\$Temperature)
- [1] "integer"
- > summary(dat\$Temperature)

Min. 1st Qu. Median Mean 3rd Qu. Max. 41.00 48.00 53.00 51.83 55.00 61.00

> class(dat\$SiteName)

[1] "factor"

> summary(dat\$SiteName)

Carlton IGH Kelly 6 6 6

What about site-specific evaluations? What if we want to look at the temperature only at Kelly?

> Kelly<-subset(dat, dat\$SiteName=='Kelly')</pre>

We've created a new object in our workspace that is our original data frame with sites only from Kelly

What about site-specific evaluations? What if we want to look at the temperature only at Kelly?

> Kelly<-subset(dat, dat\$SiteName=='Kelly')</pre>

We've created a new object in our workspace that is our original data frame with sites only from Kelly

- > dim(Kelly)
- [1] 6 7
- > Kelly\$SiteName

```
[1] Kelly Kelly Kelly Kelly Kelly Kelly Levels: Carlton IGH Kelly
```

What about site-specific evaluations? What if we want to look at the temperature only at Kelly?

> Kelly<-subset(dat, dat\$SiteName=='Kelly')</pre>

Now we can evaluate the temperature, for example, only at Kelly

> mean(Kelly\$Temperature) #this is the same as all sites
[1] 51.83333

What abour our restoration project? Aren't we comparing the abundances of breeding birds between restored and reference sites?

Let's start with our reference sites...

- > ref<-dat\$Reference</pre>
- > summary(ref) #or summary(dat\$Reference)

Min.	1st Qu.	Median	Mean 3	Brd Qu.	Max.
1.000	2.250	3.000	4.389	5.000	18.000

What abour our restoration project? Aren't we comparing the abundances of breeding birds between restored and reference sites?

Let's start with our reference sites...

- > ref<-dat\$Reference</pre>
- > summary(ref) #or summary(dat\$Reference)

Min.	1st Qu.	Median	Mean 3	Brd Qu.	Max.
1.000	2.250	3.000	4.389	5.000	18.000

Now the restored sites...

- > rest<-dat\$Restoration</pre>
- > summary(rest)

Min. 1st Qu.MedianMean 3rd Qu.Max.2.007.5011.5011.1114.7524.00

Textual summaries of our data are nice, but we should also visualize:

- How are our data distributed?
- Are there any outliers or extreme observations?
- How do our variables compare (to a reference, to one another, over time, etc.)?

Textual summaries of our data are nice, but we should also visualize:

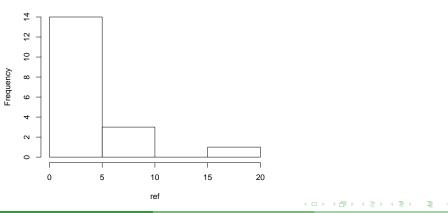
- How are our data distributed?
- Are there any outliers or extreme observations?
- How do our variables compare (to a reference, to one another, over time, etc.)?

R has many built in functions for data exploration and plotting

- hist plots a histogram (binned densities of continuous values)
- qqplot comparison of a variable to a normal distribution
- barplot for bar plots...
- plot bivariate comparison of two variables
- Much, much more...

Let's examine the distribution of abundances for the breeding birds at our reference site

> hist(ref) #or hist(dat\$Reference)

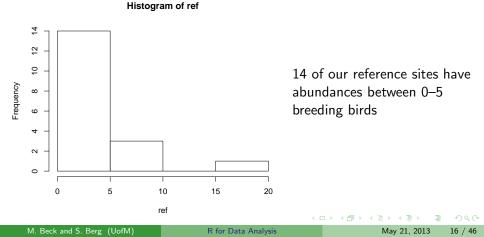


Histogram of ref

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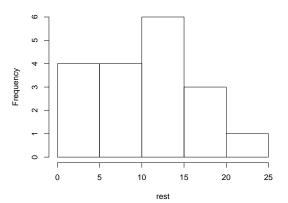
Let's examine the distribution of abundances for the breeding birds at our reference site

> hist(ref) #or hist(dat\$Reference)



How does it compare to our restoration site?

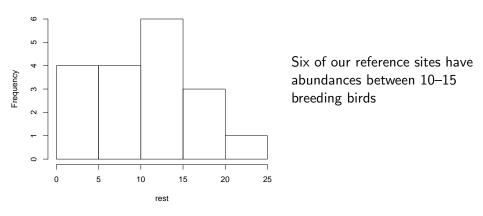
> hist(rest) #or hist(dat\$Restoration)



Histogram of rest

How does it compare to our restoration site?

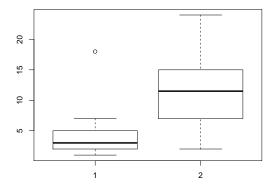
> hist(rest) #or hist(dat\$Restoration)



Histogram of rest

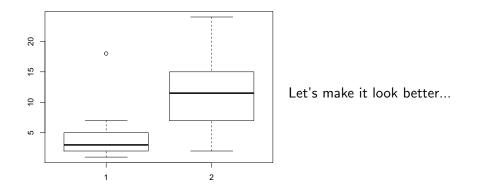
Now that we've seen the distribution, how can we compare directly?

> boxplot(ref,rest)



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> boxplot(ref,rest)



Now that we've seen the distribution, how can we compare directly?

- > boxplot(ref,rest,names=c('Reference','Restoration'),
- + ylab='Bird abundance',col=c('lightblue','lightgreen'),
- + main='Comparison of abundances between sites')

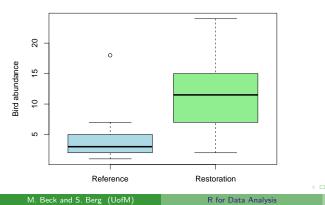
Now that we've seen the distribution, how can we compare directly?

- > boxplot(ref,rest,names=c('Reference','Restoration'),
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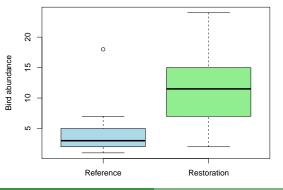
+ main='Comparison of abundances between sites')



Comparison of abundances between sites

Now that we've seen the distribution, how can we compare directly?

- > boxplot(ref,rest,names=c('Reference','Restoration'),
- + ylab='Bird abundance',col=c('lightblue','lightgreen'),
- + main='Comparison of abundances between sites')



Comparison of abundances between sites

Dark line is median, box is 25^{th} to 75^{th} quartile (or IQR), whiskers are $1.5 \times IQR$

Beyond can be considered outliers...

What's going on with the outlier at our reference site? How can we identify it?

We can use the boxplot function for the dirty work...

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We can use the boxplot function for the dirty work...

- > myplot<-boxplot(ref,rest)</pre>
- > myplot\$out
- [1] 18

This gives us the actual value, now we need to find it in our data frame

What's going on with the outlier at our reference site? How can we identify it?

We can use the boxplot function for the dirty work...

- > myplot<-boxplot(ref,rest)</pre>
- > myplot\$out
- [1] 18

This gives us the actual value, now we need to find it in our data frame

- > outlier<-myplot\$out</pre>
- > out.row<-which(ref==outlier)</pre>
- > out.row #this is the row number

[1] 8

> dat[out.row,] #same as dat[8,]

SiteName Year Restoration Reference ObserverNames Precipitation Temperature8Kelly 2007218Jeremy_Lucy1241

Now we know that our outlier was from Kelly in 2007...

What's odd about this record?

> dat[out.row,] #same as dat[8,]

SiteName Year Restoration Reference ObserverNames Precipitation Temperature8Kelly 2007218Jeremy_Lucy1241

Now we know that our outlier was from Kelly in 2007...

What's odd about this record?

Let's look at our records from Kelly...

> Kelly

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation
2	Kelly	2005	4	2	Patrick_Chelsea	0
5	Kelly	2006	9	1	David_Megan	0
8	Kelly	2007	2	18	Jeremy_Lucy	12
11	Kelly	2008	14	5	David_Megan	0
14	Kelly	2009	16	5	David_Megan	0
17	Kelly	2010	15	3	Patrick_Chelsea	0
	Temperatu	ıre				
2		48				
5		52				
8		41				
11		54				
14		55				
17		61				

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> Kelly

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation
2	Kelly	2005	4	2	Patrick_Chelsea	0
5	Kelly	2006	9	1	David_Megan	0
8	Kelly	2007	2	18	Jeremy_Lucy	12
11	Kelly	2008	14	5	David_Megan	0
14	Kelly	2009	16	5	David_Megan	0
17	Kelly	2010	15	3	Patrick_Chelsea	0
	Temperatu	ire				
2		48				
5		52				
8		41				
11		54				
14		55				
17		61				

2007 was cold and rainy, could that have been the reason?

Let's look at 2007 for all sites...

> subset(dat,dat\$Year=='2007')

> subset(dat,dat\$Year=='2007')

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation	Temperature
7	IGH	2007	12	7	David_Megan	12	41
8	Kelly	2007	2	18	Jeremy_Lucy	12	41
9	Carlton	2007	11	2	Patrick_Chelsea	12	41

> subset(dat,dat\$Year=='2007')

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation	Temperature
7	IGH	2007	12	7	David_Megan	12	41
8	Kelly	2007	2	18	Jeremy_Lucy	12	41
9	Carlton	2007	11	2	Patrick_Chelsea	12	41

IGH and Carlton don't have high abundances at their reference sites during 2007 even though the weather was the same

What else could have caused this outlier?

> subset(dat,dat\$Year=='2007')

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation	Temperature
7	IGH	2007	12	7	David_Megan	12	41
8	Kelly	2007	2	18	Jeremy_Lucy	12	41
9	Carlton	2007	11	2	Patrick_Chelsea	12	41

IGH and Carlton don't have high abundances at their reference sites during 2007 even though the weather was the same

What else could have caused this outlier?

> summary(dat\$ObserverNames)

> subset(dat,dat\$Year=='2007')

	SiteName	Year	Restoration	Reference	ObserverNames	Precipitation	Temperature
7	IGH	2007	12	7	David_Megan	12	41
8	Kelly	2007	2	18	Jeremy_Lucy	12	41
9	Carlton	2007	11	2	Patrick_Chelsea	12	41

IGH and Carlton don't have high abundances at their reference sites during 2007 even though the weather was the same

What else could have caused this outlier?

> summary(dat	\$ObserverNames)				
David_Megan 6	Jeremy_Lucy Patric 1	ck_Chelsea 6	Tyler_Amanda 5		
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>	<pre>summary(dat\$ObserverNames)</pre>					
	David_Megan	Jeremy_Lucy Patrick_	Chelsea	Tyler_Amanda		
	6	1	6	5		

This is probably Jeremy and/or Lucy's fault, most likely switched the restoration and reference records

>	<pre>summary(dat\$ObserverNames)</pre>					
	David_Megan	Jeremy_Lucy Patrick_	Chelsea	Tyler_Amanda		
	6	1	6	5		

This is probably Jeremy and/or Lucy's fault, most likely switched the restoration and reference records

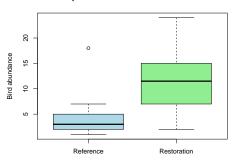
What to change?

>	<pre>summary(dat\$ObserverNames)</pre>					
	David_Megan	Jeremy_Lucy Patrick_	Chelsea	Tyler_Amanda		
	6	1	6	5		

This is probably Jeremy and/or Lucy's fault, most likely switched the restoration and reference records

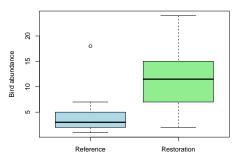
```
What to change?
> dat[out.row, 'Restoration']<-18
> dat[out.row, 'Reference']<-2
Or...
> dat<-dat[-out.row,] #do this one
Or... fire Jeremy and Lucy.</pre>
```

Now we need to evaluate the statistical certainty of our data, i.e., are our results due to random chance and how can we quantify this?



Comparison of abundances between sites

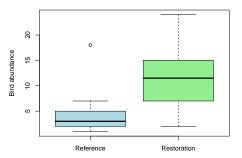
Now we need to evaluate the statistical certainty of our data, i.e., are our results due to random chance and how can we quantify this?



We want to determine if the abundance of birds or variation among sites is actual or random

Comparison of abundances between sites

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Comparison of abundances between sites

We want to determine if the abundance of birds or variation among sites is actual or random

What is an appropriate hypothesis?

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R for Data Analysis

What is an appropriate hypothesis? Let's start simple...

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Null hypothesis

The mean abundance of breeding birds at our reference site is zero.

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Null hypothesis

The mean abundance of breeding birds at our reference site is zero.

Alternative hypothesis

The mean abundance of breeding birds at our reference site is not zero.

What is an appropriate hypothesis? Let's start simple...

Null hypothesis

The mean abundance of breeding birds at our reference site is zero.

Alternative hypothesis

The mean abundance of breeding birds at our reference site is not zero.

at reference sites

Boxplot of abundance

The t.test function lets us test this hypothesis, very simple...

> t.test(dat\$Reference)

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```
> t.test(dat$Reference)
```

```
One Sample t-test
```

```
data: dat$Reference
t = 7.8998, df = 16, p-value = 6.528e-07
alternative hypothesis: true mean is not equal to 0
95 percent confidence interval:
2.625334 4.551137
sample estimates:
mean of x
3.588235
```

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The t.test function lets us test this hypothesis, very simple...

```
> t.test(dat$Reference)
```

```
One Sample t-test
```

data: dat\$Reference t = 7.8998, df = 16, p-value = 6.528e-07 alternative hypothesis: true mean is not equal to 0 95 percent confidence interval: 2.625334 4.551137 sample estimates: mean of x 3.588235

What does this mean?

The t.test function lets us test this hypothesis, very simple...

```
> t.test(dat$Reference)
```

```
One Sample t-test
```

data: dat\$Reference t = 7.8998, df = 16, p-value = 6.528e-07 alternative hypothesis: true mean is not equal to 0 95 percent confidence interval: 2.625334 4.551137 sample estimates: mean of x 3.588235

What does this mean? What are default arguments?

Perhaps a one-tailed alternative hypothesis is better, we have prior assumptions about the data...

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Null hypothesis

The mean abundance of breeding birds at our reference site is zero.

Perhaps a one-tailed alternative hypothesis is better, we have prior assumptions about the data...

Null hypothesis

The mean abundance of breeding birds at our reference site is zero.

Alternative hypothesis

The mean abundance of breeding birds at our reference site is greater than zero.

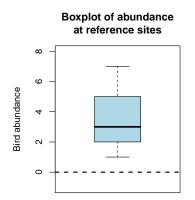
Perhaps a one-tailed alternative hypothesis is better, we have prior assumptions about the data...

Null hypothesis

The mean abundance of breeding birds at our reference site is zero.

Alternative hypothesis

The mean abundance of breeding birds at our reference site is greater than zero.



Slight modification of alternative argument for one-tailed test, default is two-tailed

> t.test(dat\$Reference, alternative='greater')

Slight modification of alternative argument for one-tailed test, default is two-tailed

```
> t.test(dat$Reference, alternative='greater')
```

```
One Sample t-test
```

```
data: dat$Reference
t = 7.8998, df = 16, p-value = 3.264e-07
alternative hypothesis: true mean is greater than 0
95 percent confidence interval:
2.795222 Inf
sample estimates:
mean of x
```

```
3.588235
```

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Slight modification of alternative argument for one-tailed test, default is two-tailed

```
> t.test(dat$Reference, alternative='greater')
```

```
One Sample t-test
```

```
data: dat$Reference
t = 7.8998, df = 16, p-value = 3.264e-07
alternative hypothesis: true mean is greater than 0
95 percent confidence interval:
2.795222 Inf
sample estimates:
mean of x
3.588235
```

```
What does this mean?
```

Let's explore more flexibility of the t.test function by changing our basis of comparison for the alternative hypothesis

Let's explore more flexibility of the t.test function by changing our basis of comparison for the alternative hypothesis

Null hypothesis

The mean abundance of breeding birds at our reference site is four.

Let's explore more flexibility of the t.test function by changing our basis of comparison for the alternative hypothesis

Null hypothesis

The mean abundance of breeding birds at our reference site is four.

Alternative hypothesis

The mean abundance of breeding birds at our reference site is greater than four.

Let's explore more flexibility of the t.test function by changing our basis of comparison for the alternative hypothesis

Null hypothesis

The mean abundance of breeding birds at our reference site is four.

Alternative hypothesis

The mean abundance of breeding birds at our reference site is greater than four.

Boxplot of abundance at reference sites

Test a different alternative hypothesis by changing the mu argument

> t.test(dat\$Reference, mu=4, alternative='greater')

Test a different alternative hypothesis by changing the mu argument

> t.test(dat\$Reference, mu=4, alternative='greater')

One Sample t-test

```
data: dat$Reference
t = -0.9065, df = 16, p-value = 0.8109
alternative hypothesis: true mean is greater than 4
95 percent confidence interval:
2.795222 Inf
sample estimates:
mean of x
3.588235
```

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Test a different alternative hypothesis by changing the mu argument

> t.test(dat\$Reference, mu=4, alternative='greater')

One Sample t-test

```
data: dat$Reference
t = -0.9065, df = 16, p-value = 0.8109
alternative hypothesis: true mean is greater than 4
95 percent confidence interval:
2.795222 Inf
sample estimates:
mean of x
3.588235
```

What does this mean?

Now the real question, let's compare our sites to one another...

What are our hypotheses?

Now the real question, let's compare our sites to one another...

What are our hypotheses?

Null hypothesis

Differences in the mean abundance between restoration and reference sites is zero.

Now the real question, let's compare our sites to one another...

What are our hypotheses?

Null hypothesis

Differences in the mean abundance between restoration and reference sites is zero.

Alternative hypothesis

Differences in the mean abundance between restoration and reference sites will be greater than zero.

Now the real question, let's compare our sites to one another...

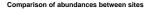
What are our hypotheses?

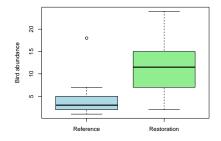
Null hypothesis

Differences in the mean abundance between restoration and reference sites is zero.

Alternative hypothesis

Differences in the mean abundance between restoration and reference sites will be greater than zero.





Use the t.test function again as a two-sample test, order matters as do arguments

- > t.test(dat\$Restoration,dat\$Reference,
- + alternative='greater',var.equal=T)

Use the t.test function again as a two-sample test, order matters as do arguments

- > t.test(dat\$Restoration,dat\$Reference,
- + alternative='greater',var.equal=T)

```
Two Sample t-test
```

```
data: dat$Restoration and dat$Reference
t = 5.3121, df = 32, p-value = 4.006e-06
alternative hypothesis: true difference in means is greater than 0
95 percent confidence interval:
5.489093 Inf
sample estimates:
mean of x mean of y
11.647059 3.588235
```

- 4 同 1 4 三 1 4 三 1 9 4 9 4 三 1 9 4 9 4 三

Use the t.test function again as a two-sample test, order matters as do arguments

- > t.test(dat\$Restoration,dat\$Reference,
- + alternative='greater',var.equal=T)

```
Two Sample t-test
```

```
data: dat$Restoration and dat$Reference
t = 5.3121, df = 32, p-value = 4.006e-06
alternative hypothesis: true difference in means is greater than 0
95 percent confidence interval:
   5.489093 Inf
sample estimates:
mean of x mean of y
11.647059 3.588235
```

What does this mean?

- 4 同 1 4 三 1 4 三 1 9 4 9 4 三 1 9 4 9 4 三

Order of arguments matters...

- > t.test(dat\$Reference,dat\$Restoration,
- + alternative='greater',var.equal=T)

Order of arguments matters...

- > t.test(dat\$Reference,dat\$Restoration,
- + alternative='greater',var.equal=T)

```
Two Sample t-test
```

```
data: dat$Reference and dat$Restoration
t = -5.3121, df = 32, p-value = 1
alternative hypothesis: true difference in means is greater than 0
95 percent confidence interval:
-10.62855 Inf
sample estimates:
mean of x mean of y
3.588235 11.647059
```

Order of arguments matters...

- > t.test(dat\$Reference,dat\$Restoration,
- + alternative='greater',var.equal=T)

```
Two Sample t-test
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What does this mean?

Order of arguments matters...

- > t.test(dat\$Reference,dat\$Restoration,
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```
Two Sample t-test
```

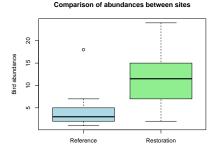
```
data: dat$Reference and dat$Restoration
t = -5.3121, df = 32, p-value = 1
alternative hypothesis: true difference in means is greater than 0
95 percent confidence interval:
-10.62855 Inf
sample estimates:
mean of x mean of y
3.588235 11.647059
```

What does this mean? What happens if we change the alternative argument?

M. Beck and S. Berg (UofM)

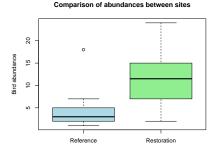
Our results suggest that the abundance of breeding birds at the restoration site is significantly greater than at the reference site

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Our p-value is 4.006e-06, what does this mean?

Our results suggest that the abundance of breeding birds at the restoration site is significantly greater than at the reference site



Our p-value is 4.006e-06, what does this mean?

There is a 0.0004006% chance that our results were observed due to randomness (within the constraints of our test).

Other common tests:

- χ^2 test of independence chisq.test
- analysis of variance anova or aov
- correlations cor.test or cor
- regression Im or glm
- Much, much more....

One last example... we've used common tests to compare our data to a standard or reference (e.g., mean is zero, differences in means is greater than zero)

What about a more interesting analysis, such as comparison of data over time or relationships between variables?

We'll close by illustrating use of linear regression with our data

This is an evaluation of the mean response of a variable conditional on another, i.e., a predictor

Perhaps we expect the abundance of breeding birds to increase at our restoration site over time, let's plot it:

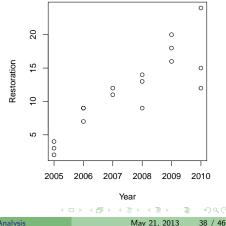
> plot(Restoration~Year,data=dat)

Perhaps we expect the abundance of breeding birds to increase at our restoration site over time, let's plot it:

> plot(Restoration~Year,data=dat)

The first argument is entered as a 'formula' specifying the variables

The data argument specifies location of the variables in the workspace



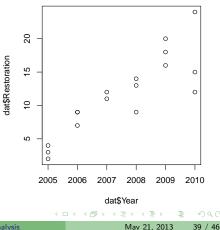
We can also call the variables directly in the plot function, ${\sf x}$ variable first, y second:

> plot(dat\$Year,dat\$Restoration)

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Note the change of the x and y labels, we can modify these using the xlab and ylab arguments in the plot function

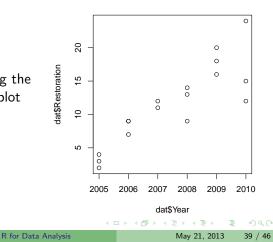


We can also call the variables directly in the plot function, x variable first, y second:

> plot(dat\$Year,dat\$Restoration)

Note the change of the x and y labels, we can modify these using the xlab and ylab arguments in the plot function

Notice the clear trend...



How do we quantify this trend across time? Use the Im function for regression...

> lm(Restoration~Year,data=dat)

How do we quantify this trend across time? Use the Im function for regression...

```
> lm(Restoration~Year,data=dat)
Call:
lm(formula = Restoration ~ Year, data = dat)
Coefficients:
(Intercept) Year
-5721.568 2.856
```

How do we quantify this trend across time? Use the Im function for regression...

```
> lm(Restoration~Year,data=dat)
Call:
lm(formula = Restoration ~ Year, data = dat)
Coefficients:
(Intercept) Year
-5721.568 2.856
```

The abundance increases, on average, by 2.856 birds per year.

We can get more information using the summary command

- > mod<-lm(Restoration~Year,data=dat)</pre>
- > summary(mod)

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```
> mod<-lm(Restoration~Year,data=dat)</pre>
```

```
> summary(mod)
```

```
Call:

lm(formula = Restoration ~ Year, data = dat)

Residuals:

Min 1Q Median 3Q Max

-6.7027 -1.4234 0.1532 1.7207 5.2973

Coefficients:

Estimate Std. Error t value Pr(>|t|)

(Intercept) -5721.5676 860.1976 -6.651 7.72e-06 ***

Year 2.8559 0.4285 6.665 7.54e-06 ***

---

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

Residual standard error: 3.097 on 15 degrees of freedom Multiple R-squared: 0.7476, Adjusted R-squared: 0.7307 F-statistic: 44.42 on 1 and 15 DF, p-value: 7.544e-06

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```
What does this mean?
Call:
lm(formula = Restoration ~ Year, data = dat)
Residuals:
          10 Median
   Min
                            30
                                   Max
-6.7027 -1.4234 0.1532 1.7207 5.2973
Coefficients:
             Estimate Std. Error t value Pr(>|t|)
(Intercept) -5721.5676 860.1976 -6.651 7.72e-06 ***
Year
               2.8559 0.4285 6.665 7.54e-06 ***
___
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```

F-statistic: 44.42 on 1 and 15 DF, p-value: 7.544e-06

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How do we plot the model?

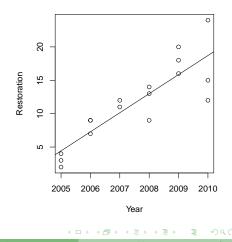
- > plot(Restoration~Year, data=dat)
- > abline(reg=mod)

We tell the abline function to plot our model, named 'mod'

How do we plot the model?

- > plot(Restoration~Year, data=dat)
- > abline(reg=mod)

We tell the abline function to plot our model, named 'mod'



Can we use our model for prediction?

What are the predicted data for our observation years?

> predict(mod)

Can we use our model for prediction?

What are the predicted data for our observation years?

```
> predict(mod)
        1
                 2
                            3
                                                5
                                      4
                                                          6
4.423423
          4,423423 4,423423 7,279279
                                        7.279279
                                                  7.279279 10.135135 10.135135
                                     13
                                                         15
                                                                   16
       10
                 11
                           12
                                               14
12.990991 12.990991 12.990991 15.846847 15.846847 15.846847 18.702703 18.702703
       18
18,702703
```

9

17

Can we use our model for prediction?

What are the predicted data for our observation years?

```
> predict(mod)
       1
                 2
                          3
                                             5
                                    4
                                                       6
          4,423423 4,423423 7,279279 7,279279 7,279279 10,135135 10,135135
4.423423
                                   13
                                                      15
      10
                11
                         12
                                            14
                                                               16
12.990991 12.990991 12.990991 15.846847 15.846847 15.846847 18.702703 18.702703
      18
18,702703
```

What about other years not in our dataset?

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Can we use our model for prediction?

What about predicted abundance for 2011?

> predict(mod,newdata=data.frame(Year=2011))

Can we use our model for prediction?

What about predicted abundance for 2011?

We can expect, on average, 21.56 birds at our restoration sites in 2011 (within the constraints of our model)

Conclusion

What we've learned:

- Data organization read.csv, read.table
- Data exploration head, dim, nrow, ncol, summary, [,], \$, names, subset, mean, range, unique
- Data visualization hist, boxplot, plot, abline
- Data analysis and hypothesis testing t.test, Im, predict

Questions?